



Assessing the Accuracy of Refractive Prediction of Different IOL Formulas in Medium Long Eyes

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Abstract

Purpose: To evaluate and compare the prediction errors (PE) between seventeen different IOL power calculation formulas in medium long eyes (>25mm).

Design: Retrospective study.

Setting: Public hospital in Victoria, Australia.

Methods: Medical records of uncomplicated cataract surgery patients from 2008-2019 with axial length of >25mm were collected. The post-operative refraction for each patient was noted and the PE was calculated for each of the 17 different formulas. Mean, median, and absolute prediction errors (MPE, MedPE, APE respectively) and standard deviation (SD) was calculated.

Results: 106 patients (106 eyes) were included in the study. Okulix showed the lowest MedAPE (0.224), and SRK-T had the highest (0.400). The SD for Okulix and Olsen PO formulas was the lowest. After reducing the mean to zero, the MedAPE of all formulas ranged from 0.155 to 0.379 and Okulix and Olsen PO had the lowest APE and SD (0.155±0.164 and 0.169±0.168 respectively). Furthermore, Okulix formula has the most patients with APE of within ± 0.25D (42%) and Olsen PO and Okulix have the least number of patients with APE of > ±1.0D (2%).

Conclusion: Okulix and Olsen PO formulas have the MedPE closest to zero with smaller standard of deviation than the rest of the formulas. The Barrett U2, EVO, Haigis, Hill RBF 3.0, Holladay 2 NLR, Kane, K6, Okulix, Olsen Lenstar, Olsen PO, Pearl DGS, T2 formulas tend to have more myopic MPE.

Keywords: Prediction Errors; IOL Formulas; Myopic Eyes; Refractive Prediction

Abbreviations

ACD: Anterior Chamber Depth; AD: Aqueous Depth; AXL: Axial Length; IOL: Intraocular Lens; WTW: White-To-White.

Introduction

Modern-day cataract surgery has gradually transformed into a refractive procedure with a high demand for spectacle independence. To improve the post-operative refractive

outcomes, there has been an ongoing attempt to increase the accuracy of the intraocular lens (IOL) power calculation formulas [1-3]. Over time, there has been a remarkable change in the IOL power calculations from simple first and second generations formulas like SRK-I and SRK-II, in which the effective lens position was constant for each patient, to third (SRK/T, Holladay 1, Hoffer Q), fourth (Haigis, Holladay 2, Hill-RBF) and fifth generation formulas (Barrett Universal II, Olsen) [4]. In these newer formulas, the effective lens position is determined for each individual eye by using multiple biometry variables including keratometry, axial length (AXL), pre-operative anterior chamber depth (ACD), white-to-white diameter (WTW) and lens thickness (LT) which predict the IOL power with better precision and accuracy [5]. Ray tracing is a promising approach to calculating IOL power which is the basis of the Olsen and Okulix formula [6]. Formulas derived using artificial intelligence (Pearl DGS, Kane) are also growing in popularity [4].

Despite these advances, accurate prediction of IOL power in myopic eyes still poses a challenge with higher probability of attaining a postoperative hyperopic surprise. Precise AXL measurement preoperatively is of particular significance as they account for 54% of prediction errors in IOL power calculations [7]. Several studies have been designed to measure and compare the accuracy of different formulas in long eyes [8-13]. In our study, we aim to evaluate and compare the absolute prediction errors between seventeen different IOL power calculation formulas for medium long eyes (>25mm) and to analyse the correlation between the median absolute error (MAE) provided by different formulas and multiple biometric variables like AXL, keratometry, and ACD.

Patients and Methods

Our study is retrospective data collection for cataract surgery performed at a tertiary Ophthalmology centre.

Local ethics approval was sought from the hospital ethics committee for data collection and the tenets of the declaration of Helsinki were followed. Medical records of patients from January 2008 to July 2019 with AXL >25mm that underwent uncomplicated cataract surgery at our centre were reviewed. In patients with both AXL >25mm, one eye was randomly selected in the study due to the correlation between eyes [14].

The inclusion criteria were as follows: (1) Biometric measurements (AXL, K1K2, ACD) assessed by LenStar 2 (Haag-Streit International, Switzerland, LS 900). (2) Had undergone pre-operative and post-operative assessment and subjective refraction at least 3 weeks post-surgery. (3) Cataract surgery performed by phacoemulsification and in-the-bag monofocal lens implantation with 2.4mm clear

corneal incision. (4) All eyes implanted with Alcon AcrySof IQ SN60WF intraocular lens. (5) Postoperative BCVA of 6/12 or better at 3+ weeks follow-up.

The exclusion criteria were as follows: (1) Patients with history of any previous intraocular surgery or any intraoperative or postoperative complication (2) Patients with cognitive impairment or pre-existing ocular disease that may impact the post-operative refraction including keratoconus, corneal scarring, amblyopia, glaucoma or any other retinal pathology. (3) Post-operative follow-up of less than one month.

For the study we noted the patients' demographics, laterality, pre-operative and post-operative subjective refraction, keratometry readings, AXL, ACD, and IOL power from the biometry device.

The pre-operative and post-operative spherical equivalent were determined for each patient [spherical power + ½ cylindrical power].

Formulas and Constant

The predicted refraction values of the implanted IOL, calculated by integrating formulas (**Barret Universal II, Haigis, Hoffer Q, Holladay 1, Holladay 2, SRK/T**) into the Lenstar were retrospectively recorded.

The **EVO, H-2 (2014)** (Lens factor (LF) = 5.517), **H-2 (NLR)** (LF = 5.425), **Hill-RBF, Kane, K-6** (LF = 118.930), **Olsen - Lenstar** (LF = 4.60), **Olsen PhacoOptics** (LF = 4.59), **Okulix, Pearl DGS, T2** (A constant = 118.930), **VRF** (LF = 5.5170) formulas prediction error were analysed by respective authors.

Evaluation of predicted errors: The predicted refraction rendered by each of the seventeen formulas was noted and the prediction error (PE) was calculated as [actual postoperative subjective refraction – predicted refraction]. The absolute prediction error (APE) is the absolute value of the derived numerical error. A negative numerical value implied a myopic prediction error, whereas a positive numerical value implied a hyperopic prediction error. The subjective post-operative refraction was recorded at least 3 weeks after surgery.

Mean prediction error (MPE), Median prediction error (MedPE), APE and standard deviation (SD) was calculated along with the percentage of eyes that were within $\pm 0.25D$, $\pm 0.5D$, $\pm 0.75D$, $\pm 1.00D$, and $> \pm 1.00D$ of predicted refractive error for each formula. To reduce systematic bias, the mean for each formula was adjusted to zero and normalized mean and absolute MPE were calculated. Mean and median absolute errors were then calculated and compared [15].

Further correlations between APE and AXL, Keratometric values, IOL power implanted during surgery, post-operative best corrected visual acuity (BCVA), and ACD were analysed.

Statistical Analysis

In this analysis, the power is the probability the Friedman test can correctly reject the null hypothesis that the absolute zero re-centred prediction errors between different IOL formulas are all the same.

To estimate the power, simulations were conducted based on the natural error distributions of the IOL formulas. Following are the steps:

Simulate the prediction errors of 17 IOL formulas for 100/200/300/...../1,300 sample points based on the associated empirical distributions.

Re-centre the prediction errors to 0 and convert them to absolute prediction errors (APE)

Conduct Friedman test to see whether the effects between the IOL formulas are significant ($p \leq 0.05$) for each simulation

Repeat step 1-3 5,000 times. Assuming the absolute re-centred prediction errors from seventeen IOL formulas are indeed different, the proportion of simulations that were significant will be the power that the Friedman test can correctly reject the null hypothesis.

Based on this simulation, the estimated power for the

analysis with 101 samples (5 outliers excluded) is ~100% to reject the null hypothesis that the absolute zero re-centred prediction errors between different IOL formulas are all the same.

Through the deviation testing, out of 106 samples (1802 data points in 17 IOL formula), 23 outliers were spotted in 5 samples. They were excluded from the analysis data.

The Shapiro-Wilk test and Q-Q plot were used to determine the normality of distribution of data.

Estimated Power vs. Simulation

The estimated powers for all sample sizes are 100%.

Estimated Power vs. Sample Size

The estimated power for the analysis for 101 samples is ~100% to reject the null hypothesis that the absolute zero re-centred prediction errors between different 17 IOL formulas are all the same. The Friedman test was used to determine the statistically significant difference between APE of the different IOL formulas.

Results

A total of 106 patients were included in the study with a mean age of 77.96 ± 9.08 years (range = 46 to 93 years). 57.5% were male patients. The mean \pm SD, median and the percentiles of all the variables in this study are tabulated below (Table 1).

VARIABLE	AVG	MED	SD	MIN	Q05	Q25	Q75	Q95	MAX
ACD_MM	3.43	3.46	0.37	2.41	2.83	3.19	3.66	4.03	4.33
AD_MM	2.88	2.92	0.37	1.85	2.28	2.62	3.09	3.47	3.81
AGE	78.74	78.65	9.13	46	61.44	73.5	84.99	92.78	93.77
AXL_MM	25.7	25.4	0.82	25	25.02	25.15	25.93	27.36	28.84
IOL_D	15.88	16.5	3.4	6.5	8.3	14.5	18	20.5	21.5
K1_D	42.21	42.15	1.67	38.26	39.49	41.03	43.38	44.72	46.36
K2_D	43.2	43.2	1.85	39.37	40.39	41.72	44.49	46.28	48.56
WTW_MM	12.24	12.28	0.43	11.05	11.59	11.89	12.54	12.83	13.23

Table 1: Shows the mean \pm SD, median and the percentiles of all the variables analysed in this study.

Correlation Analysis with Attributes/Parameters

Between the different variables the correlation index of >0.7 was considered to be strongly associated. Our study shows that - K1 strongly correlated to K2, AXL was correlated to IOL power, and ACD and aqueous depth (AD) were strongly

correlated (Supplemental graph 1).

Distribution Check

Both Shapiro-Wilk test and Q-Q plot suggests that the samples are all normally distributed except for Olsen Lenstar and Pearl DGS (Supplemental Graphs 2 & 3).

Mean and Median Prediction Errors (MPE/MedPE):

respectively along with the minimum and maximum prediction error and percentile values (p25, p50, p75).

Table 2 shows the MPE and MedPE \pm SD for all formulas

METRIC	AVG_PE	MED_PE	SD_PE	MIN_PE	Q05_PE	Q25_PE	Q75_PE	Q95_PE	MAX_PE
01. Barrett Universal 2	-0.034	0.028	0.487	-1.356	-0.949	-0.42	0.324	0.591	1.212
02. EVO	-0.113	-0.027	0.495	-1.481	-1.025	-0.518	0.26	0.536	1.11
03. Haigis	-0.025	0.028	0.473	-1.195	-0.836	-0.329	0.293	0.756	1.139
04. Hill-RBF	-0.142	-0.07	0.487	-1.4	-1.01	-0.53	0.195	0.508	1.14
05. HofferQ	0.141	0.128	0.502	-1.107	-0.678	-0.182	0.461	0.926	1.382
06. Holliday 1	0.054	0.076	0.542	-1.33	-0.925	-0.308	0.437	0.824	1.39
07. Holliday 2 (2014)	0.046	0.087	0.506	-1.239	-0.866	-0.285	0.425	0.745	1.363
08. Holliday 2 (NLR)	-0.066	0.01	0.487	-1.3	-0.947	-0.392	0.293	0.62	1.02
09. Kane	-0.101	-0.025	0.475	-1.334	-0.988	-0.467	0.248	0.582	1.039
10. K-6	-0.098	-0.01	0.48	-1.269	-1.011	-0.483	0.236	0.548	1.079
11. Olsen-Lentar	-0.117	-0.02	0.491	-1.47	-0.916	-0.51	0.23	0.52	0.91
12. Olsen PO	-0.296	-0.32	0.263	-0.99	-0.73	-0.45	-0.09	0.147	0.34
13. Okulix	-0.18	-0.201	0.261	-0.792	-0.664	-0.334	-0.026	0.284	0.377
14. Pearl DGS	0.015	0.115	0.49	-1.372	-0.843	-0.325	0.361	0.676	1.078
15. SRK-T	0.069	0.131	0.561	-1.392	-0.879	-0.29	0.478	0.827	1.6
16. T2	-0.029	0.035	0.494	-1.289	-0.915	-0.373	0.288	0.623	1.227
17. VRF	0.027	0.092	0.501	-1.252	-0.831	-0.287	0.362	0.736	1.352

Table 2: Shows the MPE and MedPE \pm SD for all formulas respectively along with the minimum and maximum prediction error and percentile values (p25, p50, p75).

The MPE was closest to zero when the following formulas were applied: Barrett U2, Haigis, Holladay 1, Holladay 2 (2014), Pearl DGS, T2, and VRF.

In terms of myopic prediction errors, Barrett U2, EVO, Haigis, Hill RBF, Holladay 2 NLR, Kane, K6, Okulix, Olsen Lenstar, Olsen PO, T2 have more negative prediction errors than the other formulas.

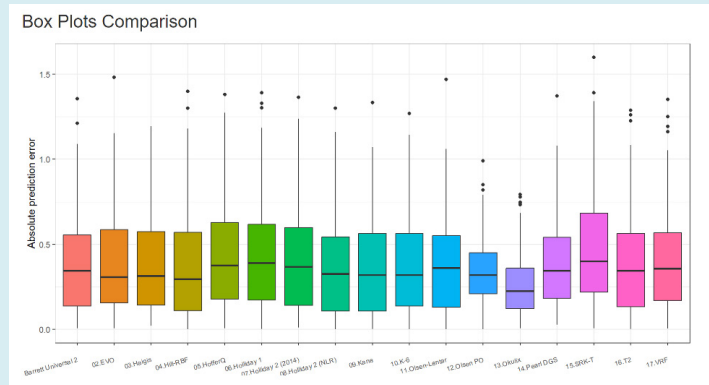
Supplemental Table 1 shows the mean APE and Med APE \pm SD for all the formulas.

Median Absolute Prediction Errors (MedAPE)

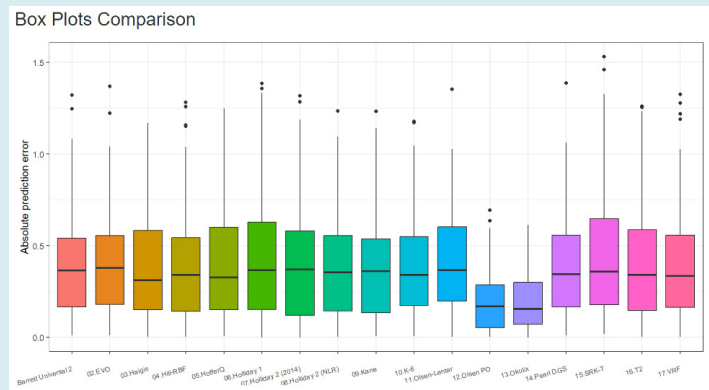
The Okulix had the lowest MedAPE (0.224) followed by Hill RBF (0.295) with SRK-T formula noted to have the

highest MedAPE of 0.400. In terms of SD, Okulix and Olsen PO formulas have the lowest SD (\pm 0.182 and \pm 0.210 respectively), whereas Hill RBF has the highest SD (0.333).

The box plot comparison of the APE between different formulas (Graphs 1 & 2) depicts that Okulix and Olsen PO have the smallest SD among the other formulas for our subset of eyes. Also, Okulix has the lowest mean and median APE.



Graph 1: Depicts the box plot comparison of the APE between different formulas.



Graph 2: Depicts the box plot comparison of the APE between different formulas after reducing the mean to zero.

Reducing Mean to Zero

Table 3 and Graph 2 shows the changes in the median after reducing the mean to zero for all formulas.

METRIC	AVG_PE	MED_PE	SD_PE	MIN_PE	Q05_PE	Q25_PE	Q75_PE	Q95_PE	MAX_PE
01. Barrett Universal 2	0	0.062	0.487	-1.322	-0.914	-0.386	0.359	0.625	1.247
02. EVO	0	0.086	0.495	-1.368	-0.912	-0.405	0.373	0.649	1.223
03. Haigis	0	0.053	0.473	-1.17	-0.811	-0.304	0.317	0.781	1.163
04. Hill-RBF	0	0.072	0.487	-1.258	-0.868	-0.388	0.337	0.65	1.282
05. HofferQ	0	-0.013	0.502	-1.249	-0.82	-0.323	0.32	0.784	1.24
06. Holliday 1	0	0.022	0.542	-1.385	-0.98	-0.362	0.383	0.769	1.336
07. Holliday 2 (2014)	0	0.041	0.506	-1.285	-0.912	-0.331	0.378	0.699	1.317
08. Holliday 2 (NLR)	0	0.076	0.487	-1.234	-0.881	-0.327	0.358	0.686	1.086
09. Kane	0	0.076	0.475	-1.233	-0.886	-0.366	0.349	0.683	1.14
10. K-6	0	0.089	0.48	-1.171	-0.913	-0.385	0.334	0.646	1.177

11. Olsen-Lentar	0	0.097	0.491	-1.353	-0.799	-0.393	0.347	0.637	1.027
12. Olsen PO	0	-0.024	0.263	-0.694	-0.434	-0.154	0.206	0.443	0.636
13. Okulix	0	-0.021	0.261	-0.612	-0.484	-0.154	0.153	0.463	0.557
14. Pearl DGS	0	0.1	0.49	-1.387	-0.858	-0.34	0.346	0.661	1.063
15. SRK-T	0	0.063	0.561	-1.46	-0.947	-0.359	0.41	0.758	1.531
16. T2	0	0.064	0.494	-1.26	-0.887	-0.345	0.317	0.652	1.255
17. VRF	0	0.065	0.501	-1.278	-0.857	-0.313	0.336	0.71	1.326

Table 3: Shows the MedPE \pm SD for all formulas after reducing the mean to zero.

MedPE ranged from -0.013 to 0.100 with Hoffer Q having the MedPE closest to zero (-0.013). Hoffer Q, Okulix, and Olsen PO have negative Median PE establishing that they are more skewed towards the myopic end in comparison.

The MedAPE of all formulas ranged from 0.155 to 0.379 and Okulix and Olsen PO had the lowest APE and SD (0.155 ± 0.164 and 0.169 ± 0.168 respectively). EVO showed the highest MedAPE of 0.379 and Holladay 1 and SRK-T proved to have the highest SD of ± 0.334 .

Graph 2 shows the box plot of prediction errors for all the formulas. It shows that the mean of the Okulix and Olsen PO formulas are the most skewed to the myopic side, however they also have the least deviation in their prediction errors ($p < 0.001$)

Figure 1 shows the percentage of patients with absolute prediction errors of within ± 0.25 , ± 0.50 , ± 0.75 , ± 1.0 , and $> \pm 1.0D$. It represents that Okulix formula has the most patients with APE of within $\pm 0.25D$ (42%) and Olsen PO and Okulix have the least number of patients with APE of $> \pm 1.0D$ (2%).

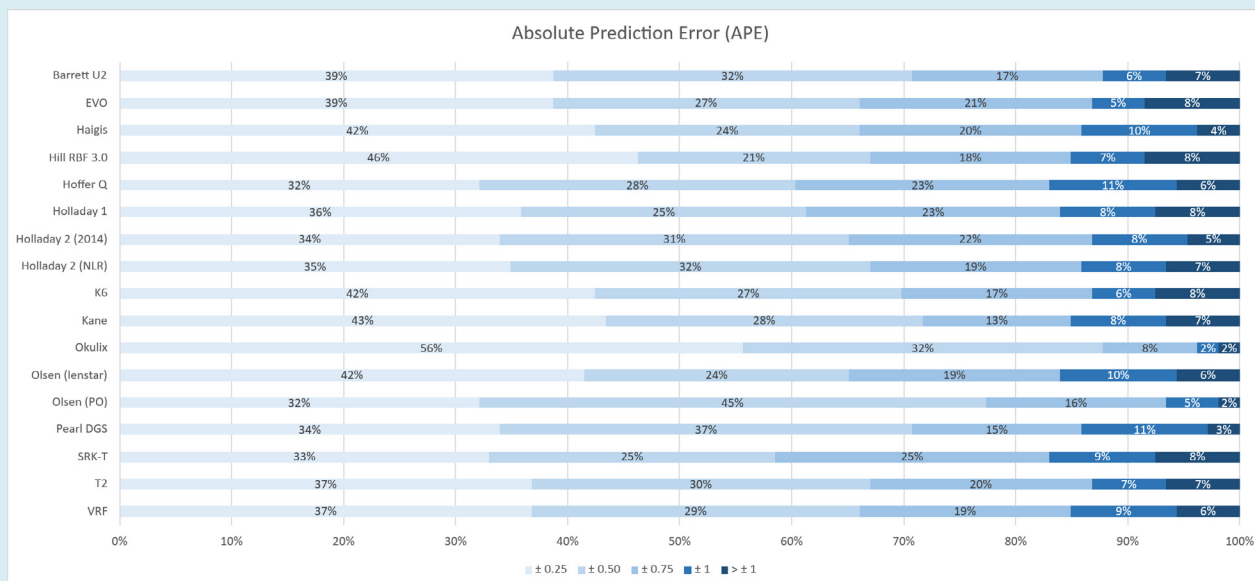


Figure 1: Shows the percentage of patients with absolute prediction errors of within ± 0.25 , ± 0.50 , ± 0.75 , ± 1.0 , and $> \pm 1.0D$ for all of the different formulas.

Variables and PE Analysis

All the 5 variables (namely K1, K2, AXL, ACD, and AD) were divided into 3 quantiles ($\leq 33^{\text{th}}$ percentile, $33^{\text{th}}-66^{\text{th}}$ percentile, $\geq 66^{\text{th}}$ percentile).

K1, K2 and PE Analysis

When comparing different formulas at the different K1 and K2 quantile group - Okulix and Olsen PO have significantly lower APE and SD then the rest of the IOL formulas.

K1/K2- $\leq 33^{\text{rd}}$ percentile group- Okulix (0.11 ± 0.20 , 0.11 ± 0.19) and Olsen PO (0.19 ± 0.20 , 0.12 ± 0.20) had the lowest MedAPE with SRK-T having the highest in K1 quantile (0.45 ± 0.35) and Barrett U2 in K2 quantile (0.36 ± 0.28) (Supplemental graphs 4 & 7).

$33^{\text{rd}}-66^{\text{th}}$ percentile- MedAPE of Okulix (0.16 ± 0.14 , 0.15 ± 0.12) and Olsen PO (0.17 ± 0.16 , 0.16 ± 0.14) was the lowest whereas Holladay 1 had the highest MedAPE in K1 quantile (0.37 ± 0.32) and VRF in K2 quantile (0.46 ± 0.32) (Supplemental graphs 5 & 8).

$\geq 66^{\text{th}}$ percentile - Olsen PO MedAPE (0.16 ± 0.13 , 0.19 ± 0.16) and Okulix MedAPE (0.21 ± 0.14 , 0.22 ± 0.17) was significantly lower than the rest of the IOL formulas. On the other hand, Holladay 1 had the highest MedAPE in K1 (0.46 ± 0.34) and K2 (0.47 ± 0.33) quantiles (Supplemental graphs 6 & 9).

To illuminate, Olsen PO performs better than Okulix in higher K1 and K2 quantile groups.

AXL and PE Analysis

In the lower AXL percentile group ($\leq 33^{\text{rd}}$ percentile)- Okulix (0.13 ± 0.16), followed by Haigis (0.21 ± 0.29), Holladay 2 NLR (0.21 ± 0.31), and Olsen PO (0.21 ± 0.17) have the lowest MedAPE with SRK-T showing the highest MedAPE (0.37 ± 0.37). In the mid percentile group ($33^{\text{rd}}-66^{\text{th}}$ percentile) and the top percentile group ($\geq 66^{\text{th}}$ percentile) Okulix (0.17 ± 0.18 and 0.16 ± 0.16 respectively) and Olsen PO (0.21 ± 0.16 and 0.14 ± 0.18 respectively) demonstrate lower MedAPE than the rest of the formulas whereas Holladay 1 shows the highest MedAPE (0.45 ± 0.33 and 0.46 ± 0.30 respectively) (Supplemental graph 10,11, and 12 respectively).

To highlight, Okulix consistently performs better in all the AXL percentile groups. In the top quantile, Olsen PO achieves lower MedAPE than Okulix.

ACD and PE Analysis

In all the 3 percentile groups for ACD -Okulix and Olsen PO have the lowest MedAPE compared to the rest of the IOL formulas (Supplemental graphs 13-15).

ACD- $\leq 33^{\text{rd}}$ percentile group- Okulix (0.15 ± 0.17) and Olsen PO (0.19 ± 0.18) had the lowest MedAPE with Olsen Lenstar having the highest MedAPE of 0.44 ± 0.28 .

$33^{\text{rd}}-66^{\text{th}}$ percentile MedAPE of Olsen PO (0.12 ± 0.15) and Okulix (0.22 ± 0.15) was the lowest whereas Holladay 1 had the highest MedAPE (0.43 ± 0.28).

$\geq 66^{\text{th}}$ percentile-Okulix MedAPE (0.15 ± 0.17) and Olsen PO MedAPE (0.21 ± 0.17) was significantly lower than the rest of the IOL formulas. On the other hand, Holladay 1 was noted to have the highest MedAPE (0.45 ± 0.34).

Discussion

The increase in incidence of myopia day by day is a constant stress on the health resources worldwide. It is estimated that by 2050, 50% of the world population will be affected by myopia [16]. Even though the prevalence is more in east and southeast-Asian countries [17,18], due to the current migration and resettling of population, and the change in lifestyle factors, this condition has affected all the countries world-wide [19]. Infact, the Sydney Myopia study conducted in 2006 reported an incidence of myopia of 31% [20]. In a few years' time, there will be a rise in the myopic patients requiring cataract surgeries with spectacle independence. Our study focuses on mild to moderate myopic eyes as the majority of myopes fall in this category [21].

Despite the continued aim to improve outcomes in myopic eyes, there are errors in axial length calculation, effective lens position prediction, and lens constant optimisation. Hyperopic surprise is a common complication post cataract surgery in myopic patients and thus choosing the correct formula becomes a crucial part in the surgery preparation. With so many different formulas currently available, we aimed to compare them to find the formulas with least prediction errors and least hyperopic surprise.

In our study, we found that the Okulix and Olsen PO formulas have the least variation even though they tend to have slightly higher MPE and trend towards more myopic outcomes. However, on reducing the mean to zero, these two formulas have their MedPE closer to zero than the rest of the formulas which is statistically significant. They also had least number of patients with postoperative refractive error $\geq \pm 1.0\text{D}$. They also tend to have lower MedPE when comparing across different K1, K2, ACD, AD, and AXL values and quantile groups. Interestingly, the rest of the formulas had similar SD.

In a study by Abulafia, et al. [22] that compared the SRK/T, Hoffer Q, Haigis, Barrett Universal II, Holladay 2, and Olsen formulas, found that all these formulas met the benchmark criteria of having PE of $\pm 0.5\text{D}$ in at least 71% of eyes and they performed similar in patients with AXL $> 26\text{mm}$ and requiring IOL power $\geq 6.0\text{D}$. Similarly, in our cohort, we found the Barrett U2, Kane, Okulix, Olsen PO, and Pearl DGS formulas meeting these benchmark criteria.

Doshi, et al. [9] found that all 3 of the formulas (Holladay 1, Hoffer Q, and SRK-T) performed well in AXL $> 24.5\text{mm}$ with the Haigis formula showing more hyperopic results.

Though this study did not measure AXL with an IOL Master/Lenstar. In our study, the Haigis formula, however, showed a more myopic tendency and the HofferQ formula resulted in a significant hyperopic result.

There are several studies in literature comparing the different third and fourth generation formulas and most of the studies have found them to be comparable in predicting refractive errors in myopic eyes [11,23-26]. However, there are not many studies reporting accuracy of newer formulas.

Okulix is one of the newer formulas which works on ray-tracing software and uses multiple biometric values (including AXL, IOL curvature radii, IOL central thickness, asphericity, refractive index, corneal topography, and CCT) to determine the IOL power. In a study comparing Okulix with the pre-existing formulas like SRK-T and Hoffer Q, they noted that MPE by Okulix was not significantly different from that of the other two formulas ($P=0.25$) and 63.5% of eyes had their prediction errors within $\pm 0.50D$ [27]. In our study, the MPE of Okulix was determined to be $-0.20D$ but had a small standard of deviation. Due to the skewed data points, the MedPE after reducing the mean to zero, the Okulix formula performed well (-0.002). It also had the highest number of patients with postoperative refractive error within $\pm 0.5D$ (88%).

The only other formula to perform similarly in our study was the Olsen PO. Olsen formula uses a specialised C-constant, which is basically a ratio by which the empty capsular bag will capture and fix the new IOL after implantation. This increases the accuracy of predicting the effective lens position by using the preoperative ACD and LT measurements [23]. This is now included in the Lenstar LS 900 machine. PhacoOptics is a unique IOL power calculation tool and data management approach which incorporates exact and paraxial ray tracing to effectively determine the correct IOL power to implant. We found that Olsen PO has a MPE of -0.315 with a smaller standard of deviation similar to Okulix. Given the skewed data sets, the MedPE after reducing the mean to zero was -0.005 with 77% of patients having a postoperative refractive outcome of within $\pm 0.5D$.

EVO (Emmetropia verifying Optical) formula is based on the theory of emmetropisation and in a study comparing the EVO with Barrett U2, Haigis, Kane, and SRK-T, the EVO performed better in long AXL than the others [28].

Pearl DGS (Postoperative spherical Equivalent prediction using Artificial intelligence and Linear algorithms) was developed by Debellemanière, Gatinel and Saad and is based on the prediction of the theoretical internal lens position. This formula was determined to have lower SD ($\pm 0.269D$) than the Olsen, K6, EVO, and Barrett U2 formula [29].

This study, despite being retrospective in nature, had the following strengths: First, we compared between seventeen different formulas in long to medium long eyes, which is majority of the cohort of the booming myopic population. Second, a single IOL type was used to overcome bias between different IOL designs. Third, we incorporated the newer generation formulae for the comparison with the traditional ones. However, short follow-up period, sample size and multiple surgeons were some limitations of the study.

Conclusions

Okulix and Olsen PO formulas have the MedPE closest to zero with smaller standard of deviation than the rest of the formulas. The Barrett U2, EVO, Haigis, Hill RBF 3.0, Holladay 2 NLR, Kane, K6, Okulix, Olsen Lenstar, Olsen PO, Pearl DGS, T2 formulas tend to have more myopic MPE whereas the Hoffer Q, Holladay 1, Holladay 2 2014, SRK T, VRF formulas have more hyperopic MPE.

Disclosures

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Author Contributions

Tasneem. A. Arsiwalla: research idea, data collection, analysis, manuscript writing and review

Cenanning Li: statistical analysis

Nishant Gupta: research idea, data collection, manuscript review

Conflict of Interest

No conflict of interest or any financial or proprietary interest for any of the authors in any material or method mentioned.

Value Statement

What was known: The newer generation formulas have shown a significant improvement in accurately predicting the refractive errors post cataract surgery.

Accurately assessing the prediction errors in myopic eyes is an issue.

What this paper adds: The first paper, to the author's knowledge, that compares and evaluates prediction errors between seventeen different newer generation IOL calculating formulas.

When using these formulas, one should be aware of the amount of refractive error and the myopic or hyperopic trend the formula provides.

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